## Quiz 12 Chemical Engineering Thermodynamics April 6, 2017

In the Kalina cycle system (KCS) an ammonia (1) –water (2) mixture is used in a power generation cycle as the working fluid. For geothermal or solar power generation the Kalina cycle has improved efficiency by a factor of 1.6 over a steam-based Rankine cycle. It can improve efficiency by 1.25 in a waste heat recovery system. This improvement in efficiency is achieved by taking advantage of the broad range of boiling temperatures for the binary mixture that can more closely match the heat source compared to a steam system. The Kalina cycle usually uses an ammonia-water mixture as the working fluid, which is a "zeotropic mixture" meaning that there is no azeotrope. (http://shodhganga.inflibnet.ac.in/handle/10603/37842 *Thermodynamic optimization of Kalina cycle systems at low medium and high temperature heat recoveries, N. Shankar Ganesh (VIT University, India 2015)*. Ganesh notes that the first step in designing the Kalina system is to calculate the bubble and dew pressures. Ganesh reports an equilibrium point of P=35 Bar, T = 90°C,  $x_1$ =0.709 and  $y_1$  = 0.871. Use these values to calculate the Margules coefficient (Ammonia (1), Water (2)).

- a) Use these values to calculate the one parameter Margules coefficient.
- b) Calculate the Margules Acid Base (MAB) coefficient at 90°C. How does it compare to part a?
- c) Using the one-parameter Margules coefficient from part "a" calculate the dew pressure at 30°C for an equimolar mixture. Proceed until convergence (a maximum of two iterations after the initial guess using Raoult's Law).
- d) Using the one-parameter Margules coefficient from part "a" calculate the bubble pressure at 30°C (303°K) for an equimolar mixture.

$$\frac{G^{E}}{RT} = A_{12}x_{1}x_{2} = x_{1}\ln\gamma_{1} + x_{2}\ln\gamma_{2}$$

R = 8.314 J/(mole °K)

	$\alpha (J/cm^3)^{1/2}$	$\beta (J/cm^3)^{1/2}$	V (cm <sup>3</sup> /mole)		
(1) Ammonia	2.11	8.44	23.3		
(2) Water	50.1	15.1	18.0		
$A_{12} = (\alpha_2 - \alpha_1)(\beta_2 - \beta_1)(V_1 + V_2)/(4RT)$					

## Antoine Constants (*T in °K P in Bar*)

	А	В	С	$T_{Min}(^{\circ}K)$	$T_{Max}$ (°K)		
(1) Ammonia	4.87	1110	-10.4	240	372		
(2) Water	3.56	644	-198	379	573		
(2) Water	4.65	1440	-64.8	256	373		
T is in °K and P is in Bar							
		$\log_{10}(P) = A - (B / (T + C))$					





http://shodhganga.inflibnet.ac.in/handle/10603/37842

$$\begin{array}{l} \bigoplus_{\text{Raoul's law.}} & \hline y_i P = x_i \gamma_i P_i^{sat} & \text{or} & \hline K_i = \frac{\gamma_i^L P_i^{sat}}{P} \end{array}$$

$$\ln \gamma_1 = A_{12} x_2^2 \\ \ln \gamma_2 = A_{12} x_1^2 \end{array}$$

$$\begin{array}{l} 11.18 \\ 11.28 \\$$

## C.1 MODIFIED RAOULT'S LAW METHODS

The equation that must be solved is:  $y_i P = x_i \gamma_i P_i^{sat}$ 

## Bubble P





Answers Quiz 12 CHE Thermo  $G^{E} = A_{12} X_1 X_2 = X_1 \ln \delta_1 + X_2 \ln \delta_2$ a) Y = X prat 9)4,28 Piut 80% = 10" (4, E7 - 1110 90%+275%-10.4)=52.7bar 6) 1.09 c) 0.00534 bac P2 = 10n (3.56 - 649 = 0.454 bar d) (7.4 har Y = 0.871 35ban = 0.816 Y2 = (1-, E71) 35600 = 34,2 (1-0,709) 0,459 how = 34,2  $A_{12} = \frac{x_1 \ln y_1 + x_2 \ln y_2}{x_1 \ln y_1 + x_2 \ln y_2} = (4.28)$  $A_{1,2} = (50.1(\overline{t_{ms}})^{1/2} - 2.11(\overline{t_{ms}})^{1/2})(15.1(\overline{t_{ms}})^{2} - 6.44(\overline{t_{ms}})^{1/2})(23.3 - 11(\overline{t_{ms}})^{1/2})(15.1(\overline{t_{ms}})^{1/2} - 6.44(\overline{t_{ms}})^{1/2})(23.3 - 11(\overline{t_{ms}})^{1/2})(15.1(\overline{t_{ms}})^{1/2}$ 6) A.2 = (1.09) MAR = (1.09) The two calas differ c) T=30°C Y=1/2=0,50 Ex=( P = X Pial + X Pial + X Piat P, int = 10n (4.87- 308+2734-10,4) = 11.9 bac P2 = 10 ~ (3,56 - 644 (30°C+275°K-198) = 0,00267 bap

Assume  $P = \frac{1}{0.5} + \frac{0.5}{0.00267692} = 0.00534 hac$ Racults Law, for Inited  $X_{1} = \frac{Y_{1}P_{1}}{Y_{1}P_{1}} p_{1} a h = \frac{Y_{1}P_{1}}{P_{1}} p_{1} a h = \frac{0.5 \cdot 0.00539 b h}{11.9 b a h}$ Values 8=8=1 = 0.000224  $X_{2} = \frac{Y_{2}P}{Y_{2}P_{1}ot} = \frac{Y_{2}P}{P_{1}ot} = \frac{(0,5)0,00534bout}{0.00267bout}$ 0.9998 1'sf I feration  $Y_{1} = e_{KP}(A_{12} X_{2}^{2}) = e_{TP}(4, 28 \cdot 1)$ = 72.2  $y_2 = erp(A_{12}x_1^2) = exp(4,28,000224)$ = 1.00  $P = \frac{1}{0.5} + \frac{0.5}{(1)(0.00267bar)} + \frac{0.5}{(1)(0.00267bar)}$ = 0.00534 bac  $X_1 = \frac{0.5(0.005sqbar)}{72.2(11.9bar)} = 3.11e^{-6}$ X2 = 1.00 No change in P so the relation has converged P=0.00534 bar

d) Bapple Pressure Ey=1  $X_1 = X_2 = 0.5$  $P = X_1 Y_1 P_1 at + X_2 Y_2 P_1 at$ }= exp (4,28 (.25)) = 2.92  $\gamma_{1} = e_{1}\left(4, 2E(.21)\right) = 2.92$ p salso' = 11.9 ban p ral 20% = 0.00267 ban P= 0.5 (2.92) (1.96an + 0.5 (2.92) 0.002676ab = 17,4 bac Y:= X: Y, D. Sut = 1.00 Y2= X2 Y2 12 = 2129 eq